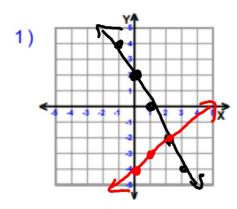
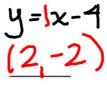
Solve each system by graphing.

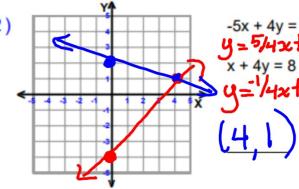


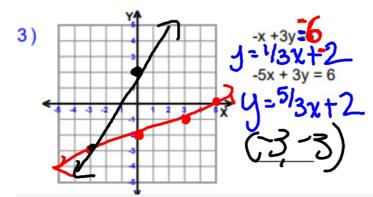
$$y = -2x + 2$$

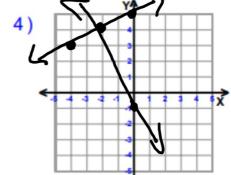
 $y = -2x + 2$
 $-x + y = -4$
 $y = -4$





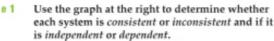






$$y = \frac{1}{2}x + 5$$
$$y = -\frac{5}{2}x - 1$$

١



1.
$$y = -3x + 1$$

 $y = 3x + 1$ Consistent and independent

$$y = -3x + 1$$
 consistent and $y = 3x + 1$ consistent and independent $y = x - 3$ independent

$$y = 3x + 1$$
 independent
3. $y = x - 3$
 $y = x + 3$ inconsistent

4.
$$y = x + 3$$
 consistent and $x - y = -3$ dependent

5.
$$x-y=-3$$
 consistent $y=-3x+1$ and independen

5.
$$x-y=-3$$
 consistent 6. $y=-3x+1$ consistent and $y=-3x+1$ and $y=x-3$ independent



7.
$$y = x + 4$$

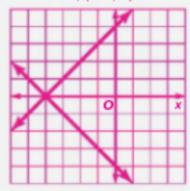
 $y = -x - 4$

8.
$$y = x + 3$$

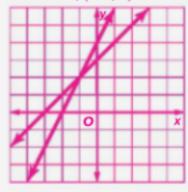
 $y = 2x + 4$

Additional Answers

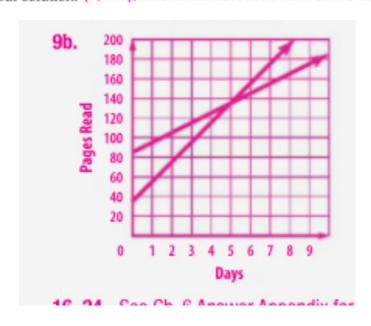




8. 1 solution, (-1, 2)



- 9. MODELING Alberto and Ashanti are reading a graphic novel.
 9a. Alberto: y = 20x + 35;
 Ashanti y = 10x + 85
 - Ashanti: y = 10x + 85
 Write an equation to represent the pages each boy has read.
 - Graph each equation. See margin.
 - c. How long will it be before Alberto has read more pages than Ashanti? Check and interpret your solution. (5, 135); Alberto will have read more after 5 days.





er of solutions that it has. rgin.

18.
$$y = x - 6$$

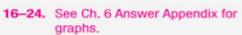
 $y = x + 2$

21.
$$x + 2y = 3$$
 $x = 5$

24.
$$2x + 2y = 6$$

 $5y + 5x = 15$

- 10. consistent and independent
- 11. consistent and independent
- 12. inconsistent
- 13. consistent and independent
- 14. consistent and dependent
- consistent and independent



16. 1 solution, (0, −3)

17. 1 solution; (-1, -2)

18. no solution

19. infinitely many

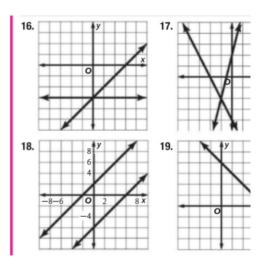
20. infinitely many

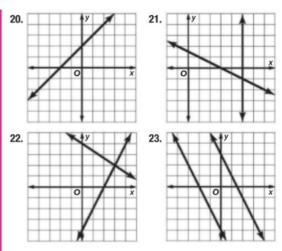
21. 1 solution; (5, -1)

22. 1 solution; (3, 2)

23. no solution

24. infinitely many





Linear Systems: SUBSTITUTION METHOD Guided Notes

- s for solving systems using SUBSTITUTION:
- Step 1: Isolate one of the variables.
- Step 2: Substitute the expression from Step 1 into the OTHER equation.
 - The resulting equation should have only one variable, not both x and y.
- Step 3: Solve the new equation.
 - · This will give you one of the coordinates.
- **9** Step 4: Substitute the result from Step 3 into either of the original equations.
- Step 5: Solve for the other coordinate.
- **9** Step 6: Write the solution as an ordered pair. (x, y)

a)
$$y = 2x - 1$$

Example: b) 3x + 2y = 26

- <u>Step 1</u>: Isolate one of the variables.
- 9 <u>Step 2</u>: Substitute the expression from Step 1 into the OTHER equation.
 - The resulting equation should have only one variable, not both x and y.
- 9 Step 3: Solve the new equation.
 - This will give you one of the coordinates.
- 9 <u>Step 4</u>: Substitute the result from Step 3 into either of the original equations.
- 9 <u>Step 5</u>: Solve for the other coordinate.
- Delta Step 6: Write the solution as an ordered pair. (x, y)

Step 1: equation a diready has y isolated

• Step 2: 3x+2(2x-1)=26

© Step 3: 3x+4x-2=26

$$\chi = 4$$
 $\frac{7x-2}{12} = \frac{20}{12}$

- © Step 4: y = 2(4) 7
- $0 \frac{\text{Step 5}}{\text{Step 6}} = 7$
 - (4,7)

xample:

- a) -4x + y = 6
- b) -5x y = 21

Step 1: Isolate one of the variables.

Step 2: Substitute the expression from Step 1 into the OTHER equation.

 The resulting equation should have only one variable, not both x and y.

Step 3: Solve the new equation.

 This will give you one of the coordinates.

Step 4: Substitute the result from Step 3 into either of the original equations.

Step 5: Solve for the other coordinate.

Step 6: Write the solution as an ordered pair. (x, y)

Step 1: Isolate Equation a because y has a coefficient of positive 1.

$$-4x + y = 6$$

+4x +4x
 $y = 4x + 6$

 \odot Step 2: -5x - (4x+6) = 21

 \odot Step 3: -5x-4x+-6=21

 \odot Step 4: y=4(-3)+6

 $\frac{\text{Step. 6:}}{\left(-3,-6\right)}$

y = 2x y = 3x + 7

2x=3x+7